

Day 2 Talk 3 - Paul

$\overline{M}_{0,5}(\mathbb{R})$ (are $K(\pi, 1)$'s) by Pavel, others.



12 copies



surface of $\pi = -3$.



∴ get



hexagon

Boomerang rings!



$$H^*(S^3 \setminus B_0) \cong H_{3-*}(S^3, \mathbb{Z})$$

$$x_1, x_2, x_3 \in H_2(S^3, \mathbb{Z})$$

$$x_1 x_2 = \partial \alpha$$

$$x_2 x_3 = \partial \beta$$

$$\langle x_1, x_2, x_3 \rangle = \alpha x_3 + x_1 \beta \in H_1(S^3, \mathbb{Z})$$

$$\cong H^2(S^3 \setminus B_0)$$

$$H^1(S^3 \setminus B_0) x_3 + x_1 H^1(S^3 \setminus B_0)$$

So A_∞ structure is not formal.

Other possibility: Do 0 surgery on each component of link.